

Introduction

MPRI 2–6: Abstract Interpretation,
application to verification and static analysis

Antoine Miné

year 2016–2017

course 01b

14 September 2016

Motivating program verification

The cost of software failure

- **Patriot MIM-104** failure, 25 February 1991
(death of 28 soldiers¹)
- **Ariane 5** failure, 4 June 1996
(cost estimated at more than 370 000 000 US\$²)
- **Toyota** electronic throttle control system failure, 2005
(at least 89 death³)
- **Heartbleed** bug in OpenSSL, April 2014
- ...
- economic cost of software bugs is tremendous⁴

¹R. Skeel. "Roundoff Error and the Patriot Missile". SIAM News, volume 25, nr 4.

²M. Dowson. "The Ariane 5 Software Failure". Software Engineering Notes 22 (2): 84, March 1997.

³CBSNews. Toyota "Unintended Acceleration" Has Killed 89. 20 March 2014.

⁴NIST. Software errors cost U.S. economy \$59.5 billion annually. Tech. report, NIST Planning Report, 2002.

Zoom on: Ariane 5, Flight 501



Maiden flight of the Ariane 5 Launcher, 4 June 1996.

Zoom on: Ariane 5, Flight 501



40s after launch. . .

Zoom on: Ariane 5, Flight 501

Cause: software error⁵

- arithmetic overflow in unprotected data conversion from 64-bit float to 16-bit integer types⁶

```
P_M_DERIVE(T_ALG.E_BH) :=  
  UC_16S_EN_16NS (TDB.T_ENTIER_16S  
    ((1.0/C_M_LSB_BH) * G_M_INFO_DERIVE(T_ALG.E_BH)));
```

- software exception not caught
⇒ computer switched off
- all backup computers run the same software
⇒ all computers switched off, no guidance
⇒ rocket self-destructs

⁵ J.-L. Lions et al., Ariane 501 Inquiry Board report.

⁶ J.-J. Levy. Un petit bogue, un grand boum. Séminaire du Département d'informatique de l'ENS, 2010.

How can we avoid such failures?

- Choose a safe programming language.
C (low level) / Ada, Java (high level)
- Carefully design the software.
many software development methods exist
- Test the software extensively.

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yet, Ariane 5 software is written in Ada

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many software development methods exist

yet, critical embedded software follow strict development processes

- Test the software extensively.

yet, the erroneous code was well tested... on Ariane 4

⇒ **not sufficient!**

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C (low level) / Ada, Java (high level)

yet, Ariane 5 software is written in Ada

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- Test the software extensively.

yet, the erroneous code was well tested... on Ariane 4

⇒ **not sufficient!**

We should use **formal methods**.

provide rigorous, mathematical insurance

Proving program properties

Invariants and programs

```
assume X in [0,1000];
```

```
I := 0;
```

```
while I < X do
```

```
    I := I + 2;
```

```
assert I in [0,?]
```

Goal: find a bound property, sufficient to express the absence of overflow

⁷ R. W. Floyd. "Assigning meanings to programs". In Proc. Amer. Math. Soc. Symposia in Applied Mathematics, vol. 19, pp. 19–31, 1967.

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Invariants and programs

```
assume X in [0,1000];  
{X ∈ [0,1000]}  
I := 0;  
{X ∈ [0,1000], I = 0}  
while I < X do  
  {X ∈ [0,1000], I ∈ [0,998]}  
  I := I + 2;  
  {X ∈ [0,1000], I ∈ [2,1000]}  
{X ∈ [0,1000], I ∈ [0,1000]}  
assert I in [0,1000]
```



Robert Floyd⁷

invariant: property true of all the executions of the program

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{X ∈ [0,1000], I ∈ [0,1000]}  
assert I in [0,1000]
```



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invariant: property true of all the executions of the program

issue: if $I = 997$ at a loop iteration, $I = 999$ at the next

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Invariants and programs

```
assume X in [0,1000];  
{X ∈ [0,1000]}  
I := 0;  
{X ∈ [0,1000], I = 0}  
while I < X do  
  {X ∈ [0,1000], I ∈ {0, 2, ..., 996, 998}}  
  I := I + 2;  
  {X ∈ [0,1000], I ∈ {2, 4, ..., 998, 1000}}  
{X ∈ [0,1000], I ∈ {0, 2, ..., 998, 1000}}  
assert I in [0,1000]
```



Robert Floyd⁷

inductive invariant: invariant that can be proved to hold by induction on loop iterates

(if $I \in S$ at a loop iteration, then $I \in S$ at the next loop iteration)

⁷R. W. Floyd. "Assigning meanings to programs". In Proc. Amer. Math. Soc. Symposia in Applied Mathematics, vol. 19, pp. 19–31, 1967.

$$\frac{}{\{P[e/X]\} X := e \{P\}} \quad \frac{\{P\} C_1 \{R\} \quad \{R\} C_2 \{Q\}}{\{P\} C_1; C_2 \{Q\}}$$

$$\frac{\{P \& b\} C \{P\}}{\{P\} \text{while } b \text{ do } C \{P \& \neg b\}}$$

...



Tony Hoare⁸

- sound logic to prove program properties, (rel.) complete
- proofs can be partially automated (at least proof checking)
(e.g., using proof assistants: Coq, PVS, Isabelle, HOL, etc.)

⁸C. A. R. Hoare. "An Axiomatic Basis for Computer Programming". *Commun. ACM* 12(10): 576–580 (1969).

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- proofs can be partially automated (at least proof checking)
(e.g., using proof assistants: Coq, PVS, Isabelle, HOL, etc.)
- requires annotations and interaction with a prover
even **manual annotation is not practical for large programs**

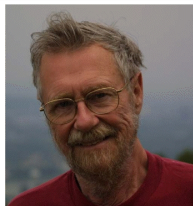
⁸C. A. R. Hoare. "An Axiomatic Basis for Computer Programming". *Commun. ACM* 12(10): 576–580 (1969).

A calculus of program properties

$$wlp(X := e, P) \stackrel{\text{def}}{=} P[e/X]$$

$$wlp(C_1; C_2, P) \stackrel{\text{def}}{=} wlp(C_1, wlp(C_2, P))$$

$$wlp(\text{while } e \text{ do } C, P) \stackrel{\text{def}}{=} I \wedge ((e \wedge I) \implies wlp(C, I)) \wedge ((\neg e \wedge I) \implies P)$$



Edsger W. Dijkstra⁹

- **predicate transformer** semantics
propagate predicates on states through the program
- **weakest (liberal) precondition**
backwards, from property to prove to condition for program correctness
- calculus that can be mostly automated

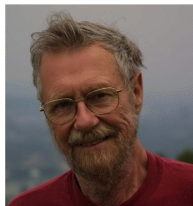
⁹ E. W. Dijkstra. "Guarded commands, nondeterminacy and formal derivation of programs". EWD472. Commun. ACM 18(8): 453-457 (1975).

A calculus of program properties

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- **predicate transformer** semantics
propagate predicates on states through the program
- **weakest (liberal) precondition**
backwards, from property to prove to condition for program correctness
- calculus that can be mostly automated, except for:
 - user annotations for inductive loop invariants
 - function annotations (modular inference)
- academic success: complex (functional) but local properties
- industry success: for simple, local properties

⁹E. W. Dijkstra. "Guarded commands, nondeterminacy and formal derivation of programs". EWD472. Commun. ACM 18(8): 453-457 (1975).

Static analysis

Principle: a program A that

- takes as input another program P
(*programs are also data!*)
- answers with “yes” if the program is safe,
“no” if it is not safe
- always answers, hopefully quickly

⇒ **proves automatically a program safe before it is run!**



Alan Turing

Limit to automation: undecidability

It is well known that termination (a useful property) is undecidable.¹⁰

In fact, all “interesting” properties are **undecidable**¹¹

⇒ A cannot exist. 😞

¹⁰ A. M. Turing. “Computability and definability”. The Journal of Symbolic Logic, vol. 2, pp. 153–163, (1937).

¹¹ H. G. Rice. “Classes of Recursively Enumerable Sets and Their Decision Problems.” Trans. Amer. Math. Soc. 74, 358-366, 1953.

Abstract interpretation

Approximate static analysis

An **approximate** static analyzer A always answers in finite time

- either **yes**: the program P is definitely safe (soundness)
- either **no**: I don't know (incompleteness)

Sufficient to prove the safety of (some) programs.

Incompleteness: A fails on infinitely many programs. . .

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Incompleteness: A fails on infinitely many programs. . .

Completeness: for any safe program P , we can design an analyzer A that proves it!

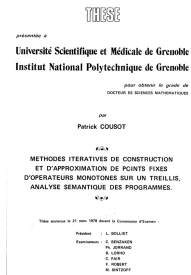
⇒ We should **adapt** the analyzer A to

- a class of programs to verify, and
- a class of safety properties to check.

Abstract interpretation



Patrick Cousot¹²



General theory of the approximation and comparison of program semantics:

- unifies many existing semantics
- allows the definition of new static analyses that are correct by construction

¹² P. Cousot. "Méthodes itératives de construction et d'approximation de points fixes d'opérateurs monotones sur un treillis, analyse sémantique des programmes." Thèse És Sciences Mathématiques, 1978.

Abstract interpretation: LIP6 Colloquium

Colloquium d'Informatique
de l'UPMC Sorbonne Universités

contact : colloquium@lip6.fr
<http://www.lip6.fr/colloquium/>
Vidéo disponible sur le site



Abstract interpretation

Patrick Cousot

New York University

Amphi 15

4, place Jussieu
75005 Paris
Metro Jussieu

**29 Septembre 2016
à 18h00**

The complexity of large programs grows faster than the intellectual ability of programmers in charge of their development and maintenance. The direct consequence is a lot of errors and bugs in programs mostly debugged by their end-users. Programmers are not responsible for these bugs. They are not required to produce provably safe and secure programs. This is because professionals are only required to apply state of the art techniques, that is testing on finitely many cases. The state of the art is changing rapidly and so will responsibility, as in other manufacturing disciplines.

Scalable and cost-effective tools have appeared recently that can avoid bugs with possible unwanted consequences for example in transportation, banks, privacy of social networks, etc. Entirely automatic, they are able to capture all bugs involving the violation of software healthiness rules such as the use of operations with arguments for which they are undefined.

These tools are formally founded on abstract interpretation. They are based on a definition of the semantics of programming languages specifying all possible executions of the programs of a language. Program properties of interest are abstractions of those semantics abstracting away all aspects of the semantics not relevant to a particular reasoning on programs. This yields proof methods.

Full automation is more difficult because of undecidability: programs cannot always prove programs correct in finite time and memory. Further abstractions are therefore necessary for automation, which introduce imprecision. Bugs may be signaled that are impossible in any execution (but still none is forgotten). This has an economic cost, much less than testing. Monotonic (the best static analysis tools are able to reduce these false alarms to almost zero), a time-consuming and error-prone task which is too difficult, if not impossible for programmers, without tools.

Patrick Cousot received the Doctor-Engineer degree in Computer Science and the Doctor of Sciences degree in Mathematics from the University Joseph-Fourier of Grenoble, France. He was a Research Scientist at the French National Center for Scientific Research at the University Joseph Fourier of Grenoble, France, then professor at the University of Metz, the Ecole Polytechnique, the Ecole Normale Supérieure, Paris, France. He is Senior Professor of Computer Science at the Courant Institute of Mathematical Sciences, New York University, USA. Patrick Cousot is the inventor, with Patrick Cousot, of Abstract Interpretation.



Talk by Patrick Cousot at Paris 6, 29 September 2016, 18h00

<https://www.lip6.fr/colloquium/>

Abstract interpretation

(\mathcal{S}_0)

assume X in [0,1000];

(\mathcal{S}_1)

I := 0;

(\mathcal{S}_2)

while (\mathcal{S}_3) I < X do

(\mathcal{S}_4)

I := I + 2;

(\mathcal{S}_5)

(\mathcal{S}_6)

program

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$I := I + 2$;

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(\mathcal{S}_6)

program

$$\mathcal{S}_i \in \mathcal{D} = \mathcal{P}(\{I, X\} \rightarrow \mathbb{Z})$$

$$\mathcal{S}_0 = \{(i, x) \mid i, x \in \mathbb{Z}\} = \top$$

$$\mathcal{S}_1 = \{(i, x) \in \mathcal{S}_0 \mid x \in [0, 1000]\} = F_1(\mathcal{S}_0)$$

$$\mathcal{S}_2 = \{(0, x) \mid \exists i, (i, x) \in \mathcal{S}_1\} = F_2(\mathcal{S}_1)$$

$$\mathcal{S}_3 = \mathcal{S}_2 \cup \mathcal{S}_5$$

$$\mathcal{S}_4 = \{(i, x) \in \mathcal{S}_3 \mid i < x\} = F_4(\mathcal{S}_3)$$

$$\mathcal{S}_5 = \{(i + 2, x) \mid (i, x) \in \mathcal{S}_4\} = F_5(\mathcal{S}_4)$$

$$\mathcal{S}_6 = \{(i, x) \in \mathcal{S}_3 \mid i \geq x\} = F_6(\mathcal{S}_3)$$

semantics

Concrete semantics $\mathcal{S}_i \in \mathcal{D} = \mathcal{P}(\{I, X\} \rightarrow \mathbb{Z})$:

- strongest invariant (and an inductive invariant)
- not computable in general
- smallest solution of a system of equations

Abstract interpretation

(S_0)

assume X in [0,1000];

(S_1)

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(S_2)

while (S_3) I < X do

(S_4)

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(S_5)

(S_6)

program

$S_i \in \mathcal{D}^\#$

$S_0^\# = \top^\#$

$S_1^\# = \llbracket \text{assume } X \in [0, 1000] \rrbracket^\#(S_0^\#)$

$S_2^\# = \llbracket I \leftarrow 0 \rrbracket^\#(S_1^\#)$

$S_3^\# = S_2^\# \cup^\# S_5^\#$

$S_4^\# = \llbracket \text{assume } I < X \rrbracket^\#(S_3^\#)$

$S_5^\# = \llbracket I \leftarrow I + 2 \rrbracket^\#(S_4^\#)$

$S_6^\# = \llbracket \text{assume } I \geq X \rrbracket^\#(S_3^\#)$

semantics

Abstract semantics $S_i^\# \in \mathcal{D}^\#$:

- $\mathcal{D}^\#$ is a subset of properties of interest (approximation) with a machine representation
- $F^\# : \mathcal{D}^\# \rightarrow \mathcal{D}^\#$ over-approximates the effect of $F : \mathcal{D} \rightarrow \mathcal{D}$ in $\mathcal{D}^\#$ (with effective algorithms)

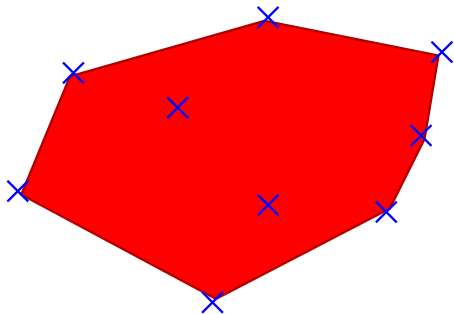
Numeric abstract domain examples



concrete sets:

$$\{(0, 3), (5.5, 0), (12, 7), \dots\} \subseteq \mathbb{R}^2$$

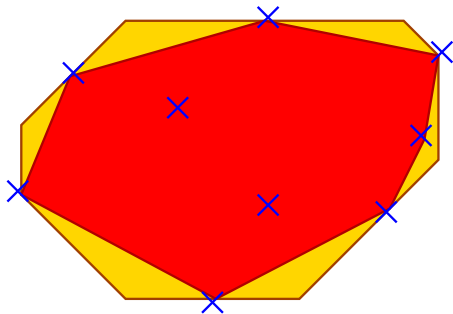
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concrete sets: $\{(0, 3), (5.5, 0), (12, 7), \dots\} \subseteq \mathbb{R}^2$

abstract polyhedra: $6X + 11Y \geq 33 \wedge \dots$

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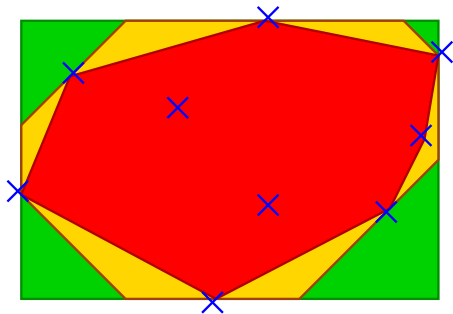


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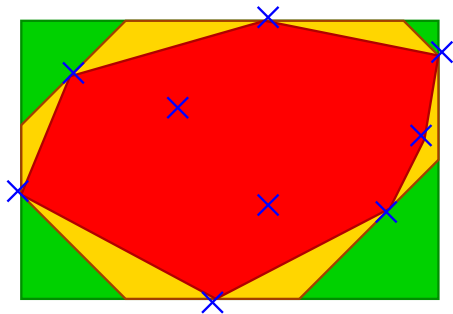
abstract octagons: $X + Y \geq 3 \wedge Y \geq 0 \wedge \dots$

Numeric abstract domain examples



- concrete sets: $\{(0, 3), (5.5, 0), (12, 7), \dots\} \subseteq \mathbb{R}^2$
- abstract polyhedra: $6X + 11Y \geq 33 \wedge \dots$
- abstract octagons: $X + Y \geq 3 \wedge Y \geq 0 \wedge \dots$
- abstract intervals: $X \in [0, 12] \wedge Y \in [0, 8]$

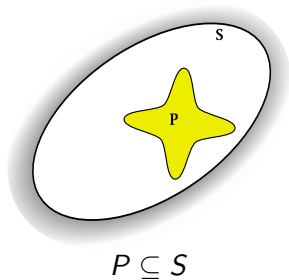
Numeric abstract domain examples



concrete sets:	$\{(0, 3), (5.5, 0), (12, 7), \dots\} \subseteq \mathbb{R}^2$	not computable
abstract polyhedra:	$6X + 11Y \geq 33 \wedge \dots$	exponential cost
abstract octagons:	$X + Y \geq 3 \wedge Y \geq 0 \wedge \dots$	cubic cost
abstract intervals:	$X \in [0, 12] \wedge Y \in [0, 8]$	linear cost

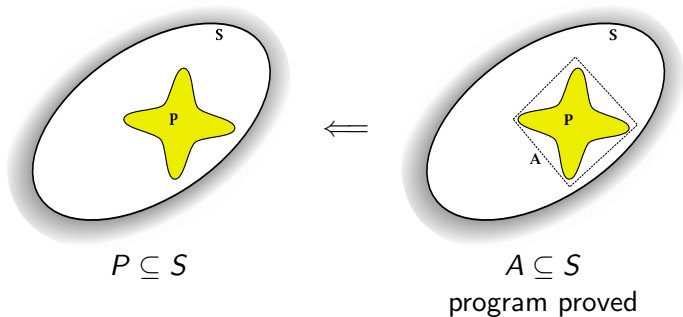
Trade-off between cost and expressiveness / precision

Soundness and false alarms



Goal : prove that a program P satisfies its specification S

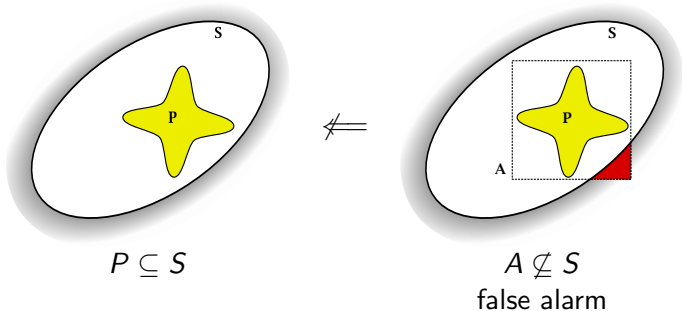
Soundness and false alarms



Goal : prove that a program P satisfies its specification S

A polyhedral abstraction A can prove the correctness.

Soundness and false alarms



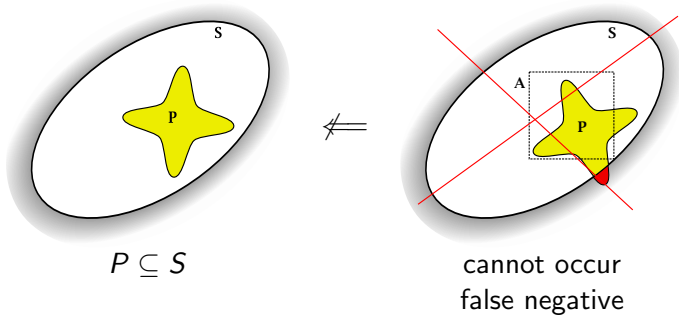
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Soundness and false alarms



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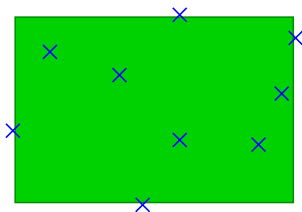
A polyhedral abstraction A can prove the correctness.

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\implies false alarm.

The analysis is sound: no false negative reported!

Abstract elements and operators



abstract semantics F^\sharp in the interval domain \mathcal{D}_i^\sharp

- $I \in \mathcal{D}_i^\sharp$ is a pair of bounds $(l, h) \in \mathbb{Z}^2$ (for each variable) representing an interval $[l, h] \subseteq \mathbb{Z}$
- $\mathbf{I} := \mathbf{I} + 2$: $(l, h) \mapsto (l+2, h+2)$
- \mathbf{U}^\sharp : $(l_1, h_1) \mathbf{U}^\sharp (l_2, h_2) = (\min(l_1, l_2), \max(h_1, h_2))$
- ...

Resolution by iteration and extrapolation

Challenge: the equation system is recursive: $\vec{S}^\sharp = \vec{F}^\sharp(\vec{S}^\sharp)$.

Solution: resolution by iteration: $\vec{S}^{\sharp 0} = \emptyset^\sharp$, $\vec{S}^{\sharp i+1} = \vec{F}^\sharp(\vec{S}^{\sharp i})$.

e.g., \mathcal{S}_3^\sharp : $I \in \emptyset$, $I = 0$, $I \in [0, 2]$, $I \in [0, 4]$, \dots , $I \in [0, 1000]$

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Challenge: infinite or very long sequence of iterates in \mathcal{D}^\sharp

Solution: extrapolation operator ∇

e.g., $[0, 2] \nabla [0, 4] = [0, +\infty[$

- remove unstable bounds and constraints
- ensures the convergence in finite time
- **inductive** reasoning (through generalisation)

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- ensures the convergence in finite time
- **inductive** reasoning (through generalisation)

\implies effective solving method \longrightarrow static analyzer!

Other uses of abstract interpretation

- Analysis of dynamic memory data-structures (*shape analysis*).
- Analysis of parallel, distributed, and multi-thread programs.
- Analysis of probabilistic programs.
- Analysis of biological systems.
- Security analysis (*information flow*).
- Termination analysis.
- Cost analysis.
- Analyses to enable compiler optimisations.
- ...

A few examples of abstract interpretation tools

- **Proprietary tools**

- **PolySpace analyzer** (*MathWorks*)
run-time errors in Ada, C, C++
- **aiT** (*AbsInt*)
worst-case execution time for binary
- **Astrée** (*CNRS, ENS, INRIA, AbsInt*)
run-time errors in embedded C, with an emphasis on validation
- **Sparrow** (*Seoul National University*)
run-time errors in C
- **Julia** (*University of Verona*)
analysis of Java and Android

- **Open-source tools**

- **Frama-C** (*CEA LIST, INRIA, TrustInSoft*)
run-time errors in C software, also has a commercial version
- **Code Contracts Static Checker** (*Microsoft Research*)
static checking and inference of .NET contracts

The Astrée static analyzer

The screenshot displays the Astrée static analyzer interface. The main window is titled "Astrée" and shows the analysis of a file named "scenarios.c". The interface is divided into several sections:

- Left Panel:** Contains navigation and configuration options such as "Welcome", "Local settings", "Preprocessing", "Mapping to original sources", "Reports", "Analysis options", "Parallelization", "ABI", "Global directives", "General", "Domains", "Output", and "Files".
- Top Panel:** Shows the "Analyzed file: /invalid/path/scenarios.c" and the "Original source: C:/Pr...ples/scenarios/src/scenarios.c".
- Code Editor:** Displays the source code with line numbers. The analyzed code (lines 24-49) includes a pointer assignment, an array access, and an assertion. The original source code (lines 37-61) shows the same code with annotations like "/* Type cast causing overflow." and "/* Precise handling of pointer arithmetic".
- Bottom Panel:** Shows the analysis results. It includes a table with columns for "Errors", "Alarms", "Not analyzed", "Coverage", and "Files". The "Alarms" section is expanded, showing a list of detected issues: "Overflow in conversion", "Out-of-bound array access", "Possible overflow upon dereference", "Possible overflow upon dereference", and "Assertion failure". The "Errors" section shows two runtime error messages: "Define runtime error during assignment in this context. Analysis stopped for this context." and "Define runtime error during assignment in this context. Analysis stopped for this context.".
- Status Bar:** Shows the current position: "Line 36, Column 0" and "Line 49, Column 0". It also includes a "File view" dropdown and a "Summary" button.
- Bottom Left:** A traffic light icon indicates the analysis status (red for errors, yellow for warnings, green for success). Below it, the summary statistics are: "Errors: 2 (2)", "Alarms: 5 (5)", "Warnings: 1", "Coverage: 100%", and "Duration: 30s".
- Bottom Right:** A small text box indicates the connection: "Connected to localhost:1059 as anonymous@ABSINT-VMWARE".

Analyseur statique de programmes temps-réels embarqués

(static analyzer for real-time embedded software)

- developed at **ENS**
 - | B. Blanchet, P. Cousot, R. Cousot, J. Feret,
| L. Mauborgne, D. Monniaux, A. Miné, X. Rival
- industrialized and made commercially available by **AbsInt**



Astrée

www.astree.ens.fr



AbsInt

www.absint.com

The Astrée static analyzer

Specialized:

- for the analysis of **run-time errors**
(arithmetic overflows, array overflows, divisions by 0, etc.)
- on embedded critical **C** software
(no dynamic memory allocation, no recursivity)
- in particular on **control / command** software
(reactive programs, intensive floating-point computations)
- intended for **validation**
(analysis does not miss any error and tries to minimise false alarms)

Approximately **40 abstract domains** are used **at the same time**:

- numeric domains (intervals, octagons, ellipsoids, etc.)
- boolean domains
- domains expressing properties on the history of computations

Astrée applications



Airbus A340-300 (2003)



Airbus A380 (2004)



(model of) ESA ATV (2008)

- size: from 70 000 to 860 000 lines of C
- analysis time: from 45mn to \simeq 40h
- 0 alarm: **proof of absence of run-time error**